

FUN - YES, FUN - WITH THE PYTHAGOREAN THEOREM!

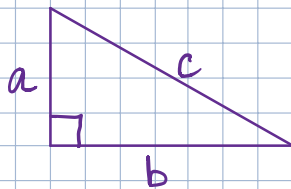
Pythagoras was a Greek mathematician over a thousand years ago. (He's dead.)

He studied right triangles and developed a formula that could be used to find a missing side if you knew the other two.

So: ① Right triangles only.

② You need to know the lengths of 2 sides to find the third.

Here's how it works:



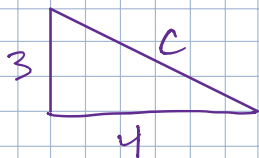
$$a^2 + b^2 = c^2$$

← The formula!

- Notice that a and b are legs of the triangle.
- Notice that c is always the long side, across from the right angle.

Like all formulas, you plug in what you know; then you solve the equation.

Example



So... $a^2 + b^2 = c^2$ ← plug in

So... $3^2 + 4^2 = c^2$ ← do the exponents

So... $9 + 16 = c^2$ ← add

$$25 = c^2$$

$$5 = c$$

← Do the square root ($\sqrt{\quad}$) to find what c equals.

A note about square root: It is the opposite of squaring a number.

Take a look: $3^2 = 9$ so $\sqrt{9} = 3$

$$5^2 = 25 \quad \text{so} \quad \sqrt{25} = 5$$

$$8^2 = 64 \quad \text{so} \quad \sqrt{64} = 8$$

It's nice if you know the square root of a number, but if you don't, finding it is a pain in the behind - unless you have a calculator. Then it's easy!

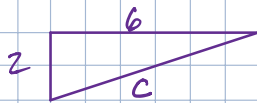
Let's say you want to find the square root of 8.

1.) Punch in $\boxed{8}$

2.) Punch the $\sqrt{\quad}$ button. Ta da! 2.828427...

So round it \rightarrow 2.82 and you're good to go!

Let's do some...



$$a^2 + b^2 = c^2$$

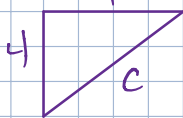
$$2^2 + 6^2 = c^2$$

$$4 + 36 = c^2$$

$$40 = c^2$$

$$\sqrt{40} = c \rightarrow \text{So } 6.32 = c$$

You try:



$$a^2 + b^2 = c^2$$

